

Course Specifications

| Course Title: | Differential Equations For Physics |
|---------------|------------------------------------|
| Course Code: | 2032203-3 |
| Program: | Bachelor in Physics |
| Department: | Department of Physics |
| College: | College of Science |
| Institution: | Taif University |







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A. Course Identification

| 1. | Credit hours: 3 | | |
|----|---|--|--|
| 2. | Course type | | |
| a. | University College Department 🗸 Others | | |
| b. | Required V Elective | | |
| 3. | 3. Level/year at which this course is offered: 6 th Level/ 2 nd Year | | |
| 4. | 4. Pre-requisites for this course (if any) : Differentiation and Integration(2022111-4) | | |
| 5. | 5. Co-requisites for this course (if any):None | | |
| | | | |

6. Mode of Instruction (mark all that apply)

| No | Mode of Instruction | Contact Hours | Percentage |
|----|-----------------------|----------------------|------------|
| 1 | Traditional classroom | 5 | 100% |
| 2 | Blended | 0 | 0% |
| 3 | E-learning | 0 | 0% |
| 4 | Distance learning | 0 | 0% |
| 5 | Other | 0 | 0% |

7. Contact Hours (based on academic semester)

| No | Activity | Contact Hours |
|----|-------------------|---------------|
| 1 | Lecture | 50 |
| 2 | Laboratory/Studio | 0 |
| 3 | Tutorial | 0 |
| 4 | Others (specify) | 0 |
| | Total | 50 |

B. Course Objectives and Learning Outcomes

1. Course Description

Basic concepts of differential equations (order, degree, linearity, homogenous, nonhomogeneous and linearity – initial-value and boundary-value problems)–First-order degree differential equations (standard and differential form – separable, exact, linear, homogenous equations and non-homogeneous equations can be converted into homogeneous) –nonlinear equations that can be converted into linear differential equations (Bernoulli and Riccati equations...) -First-order and higher-degree differential equations(Clairautand Lagrange equations...) -Application offirst-orderdifferential equations in physics - Higher order homogeneous, non-homogeneous and linear differential equationswith constant coefficients, cases of different roots of the characteristic equation,) - Methods of finding the homogeneous and particular solutions - Some physics applications.

2. Course Main Objective

Recognize the types of differential equations and apply knowledge of mathematics to the solution of problems. Designing and implementing solutions to practical problems in physics and transform practical problems in physics into differential equations.

3. Course Learning Outcomes

| | CLOs | Aligned PLOs |
|-----|--|--------------|
| 1 | Knowledge and Understanding | |
| 1.1 | • State the basic concepts and classify the various differential equations | K1 |
| 1.2 | • Recognize the theory of solution of various differential equations describing natural phenomena | К3 |
| 2 | Skills : | |
| 2.1 | • Solve 1st and 2nd order linear ordinary differential equations using appropriate theoretical methods | S2 |
| 2.2 | • Formulate a physical phenomenon into a differential equation by using physics laws and evaluate its adequate solution related to the boundary (subsidiary) conditions of the problem | S 3 |
| 3 | Values: | |
| 3.1 | • Show responsibility for working independently and for continuous improvement of personal capacities. | V1 |

C. Course Content

| No | List of Topics | Contact Hours |
|----|---|------------------|
| 1 | Basic concepts of differential equations: Ordinary and partial differential equations Order and degree of a differential equation Linear, nonlinear, homogeneous and non-homogeneous differential equations General and particular solution of differential equations Initial –Value and Boundary –Value problems Some examples | 5 |
| 2 | First-Order and First-degree differential equation: Standard form and differential form Separable equation Homogeneous equation and reduction to homogeneous equation Exact equation and reduction to exact equation by multiplying by integrating factor Linear equation Nonlinear equations that can be converted into linear differential equations (Bernoulli equation, Riccati equations) Higher-degree differential equation can be converted to First-degree differential equation. The equation can be solved relative to x or relative to y Clairaut equation Lagrange equation | 15 |
| 3 | Applications of First-order differential equation: Growth and Decay problems Temperature problems Falling Body problems Dilution problems Electrical Circuits Orthogonal Trajectories | 7 |

| | Higher-order linear differential equation with constant coefficients: | |
|---|---|----|
| | Linearly independent and linear dependant functions | |
| | The Wronskian | |
| | The differential operator and the Characteristic equation | |
| Solution of homogeneous equation according the nature of roots of its characteristic equation | | |
| 4 | Particular solution of a non-homogeneous equationby using the inverse differential operatorfor different cases of the second term of equality | |
| | Particular solution of a non-homogeneous equation by using the method of variation of parameters | 18 |
| | Particular solution of a non-homogeneous equation by using the method of undetermined coefficients | |
| | Homogenous differential equation with variable coefficients: | |
| | Cauchy-Euler equation, Legendrelinear equation | |
| | Method of factorisation | |
| | Reduction of order and its cases | |
| | Application of Second-order differential equation with constant | |
| | coefficients: | |
| 5 | Spring problems | 5 |
| | Electrical Circuits problems | |
| | Buoyancy problems | |
| | Total | 50 |

D. Teaching and Assessment

1. Alignment of Course Learning Outcomes with Teaching Strategies and Assessment Methods

| Code | Course Learning Outcomes | Teaching Strategies | Assessment Methods |
|---------------------------------------|---|--------------------------------------|--------------------------------------|
| 1.0 | Knowledge and Understanding | | |
| State the subte concepts and classify | | Written exam and Homework reports | |
| 1.2 | • Recognize the theory of solution of various differential equations describing natural phenomenaLecture DiscussionWritten exan | | Written exam |
| 2.0 | Skills | | |
| 2.1 | • Solve 1st and 2nd order linear ordinary differential equations using appropriate theoretical methods | Lectures | Written exam and Homework reports |
| 2.2 | • Formulate a physical phenomenon into a differential equation by using physics laws and evaluate its adequate solution related to the boundary (subsidiary) conditions of the problem | Lecture and Groups discussion | Written exam |
| 3.0 | Values | | |
| 3.1 | • Show responsibility for working independently and for continuous improvement of personal capacities. | Groups discussion | Homework |

2. Assessment Tasks for Students

| # | Assessment task* | Week Due | Percentage of Total Assessment Score |
|---|------------------|------------------|---|
| 1 | Activities | Periodically | 10% |
| 2 | Midterm exam | 6 th | 30% |
| 3 | Short exam | 9 th | 10% |
| 4 | Final exam | 12^{th} | 50% |

*Assessment task (i.e., written test, oral test, oral presentation, group project, essay, etc.)

E. Student Academic Counseling and Support

Arrangements for availability of faculty and teaching staff for individual student consultations and academic advice :

- 6 Hours per week during office hours, in the instructor's office, or by appointment.
- Teaching staff are available for individual student consultations during office hours.

F. Learning Resources and Facilities

1.Learning Resources

| Tilleur ming Resources | |
|-----------------------------------|---|
| Required Textbooks | Introduction to Ordinary Differential Equations and Some Application by Edward Burkard Elementary Differential Equations by William F. Trench |
| Essential References Materials | Differential Equations with Boundary-Value Problems a Zill Cullen (1) Differential Equations by Richard Bronson and Gabriel B. Costa, third edition |
| Electronic Materials | http://faculty.uml.edu/dimitris_christodoulou/Teaching/documents/D EsR_Bronson.pdf |
| Other Learning Materials | - Mathematica, Mathlab |

2. Facilities Required

| Item | Resources |
|---|--|
| Accommodation (Classrooms, laboratories, demonstration rooms/labs, etc.) | Lecture room with max 60 seats Labs |
| Technology Resources (AV, data show, Smart Board, software, etc.) | data show, Smart Board, software |
| Other Resources (Specify, e.g. if specific laboratory equipment is required, list requirements or attach a list) | None |

G. Course Quality Evaluation

| Evaluation Areas/Issues | Evaluators | Evaluation Methods |
|--|------------|---------------------------|
| Student Feedback on Effectiveness of Teaching | Students | Indirect |

| Evaluation Areas/Issues | Evaluators | Evaluation Methods |
|--|-----------------|--------------------|
| Evaluation of Teaching | Department | Indirect |
| Improvement of Teaching | Program leaders | Direct |
| Quality of learning resources | Faculty | Direct |
| Extent of achievement of course learning outcomes, | Program leaders | Direct |

Evaluation areas (e.g., Effectiveness of teaching and assessment, Extent of achievement of course learning outcomes, Quality oflearning resources, etc.)

Evaluators (Students, Faculty, Program Leaders, Peer Reviewer, Others (specify)

Assessment Methods(Direct, Indirect)

H. Specification Approval Data

| Council / Committee | Department Council |
|---------------------|--------------------|
| Reference No. | |
| Date | October 2, 2022 |